

THE UNIQUENESS OF THE IDENTITY – PRACTICE

Theorem: A group G has a unique identity element. In other words, it has only one element e with the property that for every $a \in G$, $e \cdot a = a = a \cdot e$.

Proof: